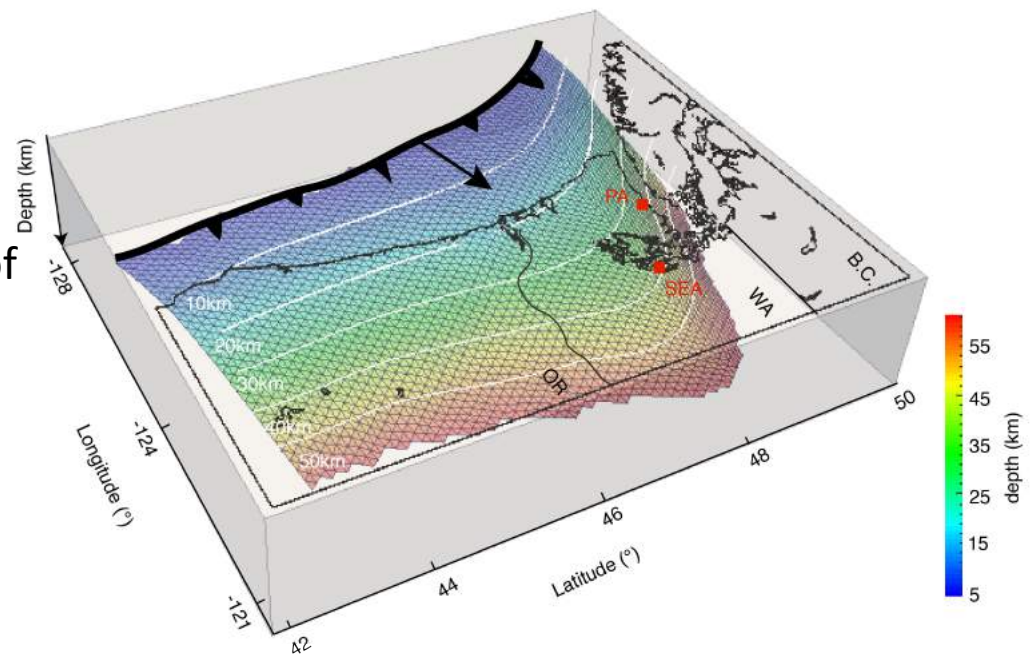


# Modeling slow slip events on a non-planar subduction fault

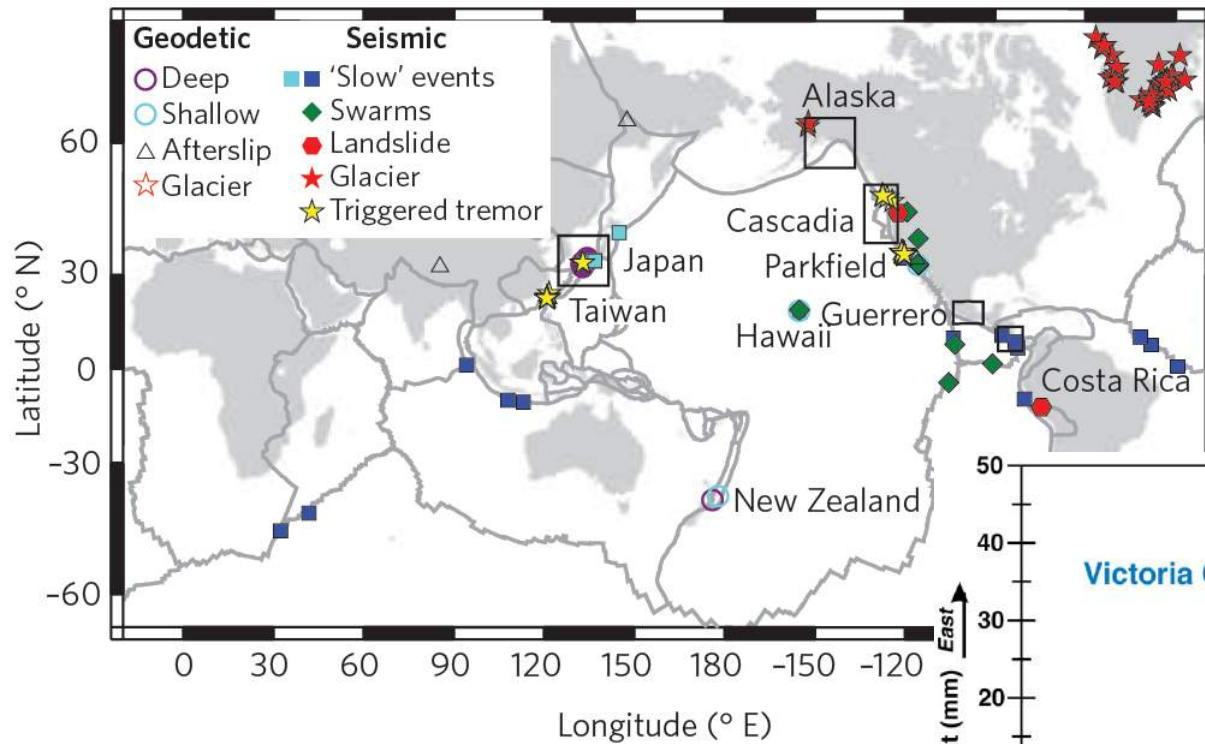
*Yajing Liu<sup>1</sup>, Duo Li<sup>1,2</sup>*

1. McGill University, Canada
2. Ludwig Maximilian University of Munich, Germany

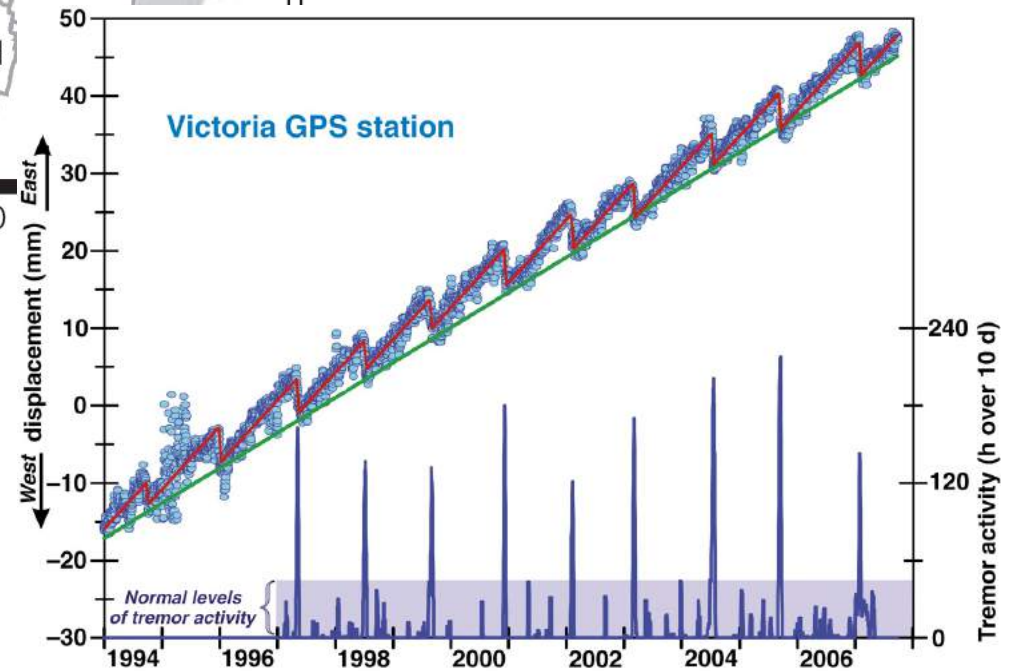


SCEC, SEAS, April 2018

# Slow earthquakes in global subduction zones

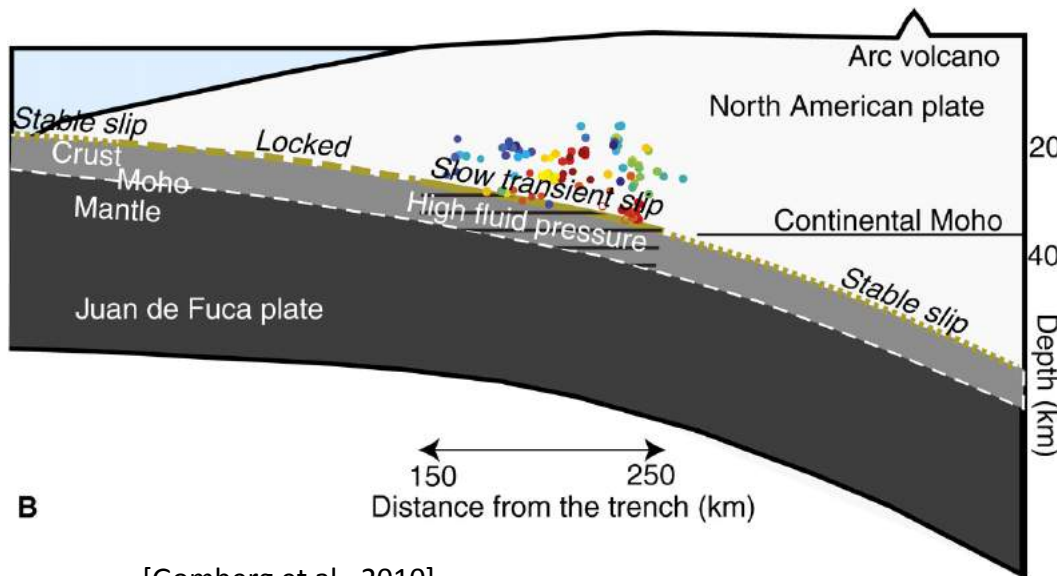


[Peng and Gomberg, 2010]



[Rogers and Dragert, 2003; Gomberg et al., 2010]

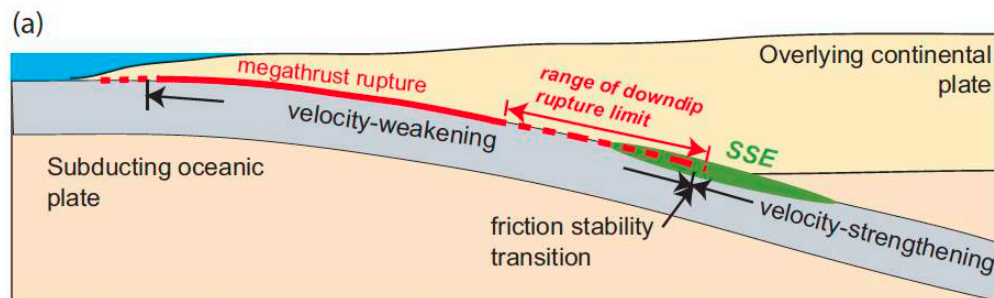
# Transitional slip behavior



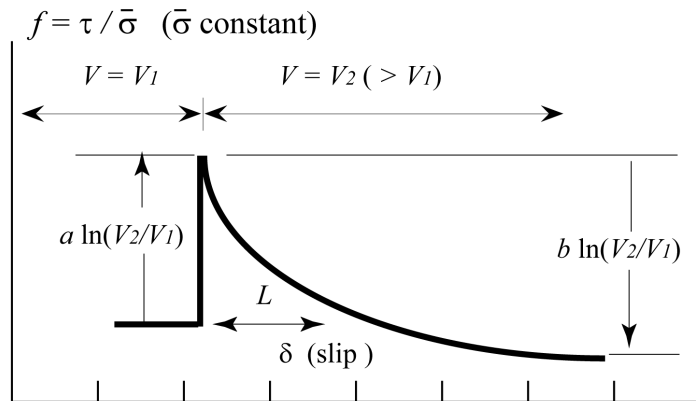
## Physical models for episodic SSEs:

1. Velocity-weakening to strengthening stability transition [Liu and Rice, 2005; Rubin, 2008]
2. Cut-off velocity model [Shibazaki and Shimamoto, 2007; Shibazaki et al., 2012; Matsuzawa et al., 2013]
3. Dilatancy-strengthening [Segall et al., 2010; Liu and Rubin, 2010]
4. Combination of brittle and viscous material rheology [Hayman and Lavier, 2014; Reber et al., 2015]

B [Gomberg et al., 2010]



# Rate-state friction



$$\tau = (\sigma - p) \left[ f_0 + a \ln \left( \frac{V}{V_0} \right) + b \ln \left( \frac{V_0 \theta}{D_c} \right) \right]$$

$$\frac{d\theta}{dt} = 1 - \frac{V\theta}{D_c} \quad \text{"ageing" law}$$

$$\tau_{ss} = (\sigma - p) \left[ f_0 + (a - b) \ln \left( \frac{V}{V_0} \right) \right]$$

$$\tau = \tau_0 - \int k(\delta - V_{pl}t) - \frac{\mu}{2c_s} \frac{\partial \delta}{\partial t}$$

[Dieterich, 1979; Ruina, 1983]

**System stability depends on:**

1. **Steady-state friction parameter:  $a-b$**

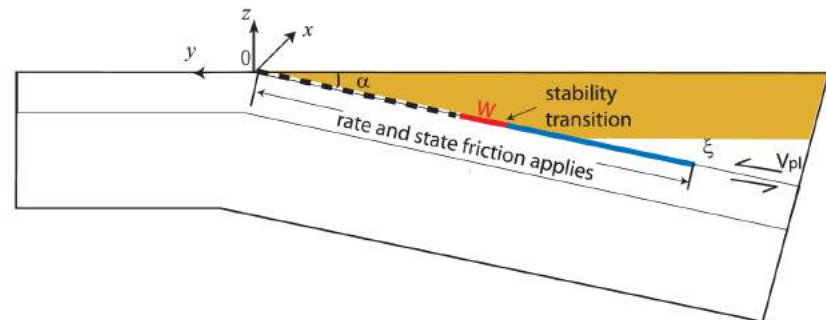
$a-b < 0$ : velocity-weakening, potential unstable sliding (earthquakes or SSEs).

$a-b > 0$ : velocity-strengthening, always stable sliding (continuous aseismic);

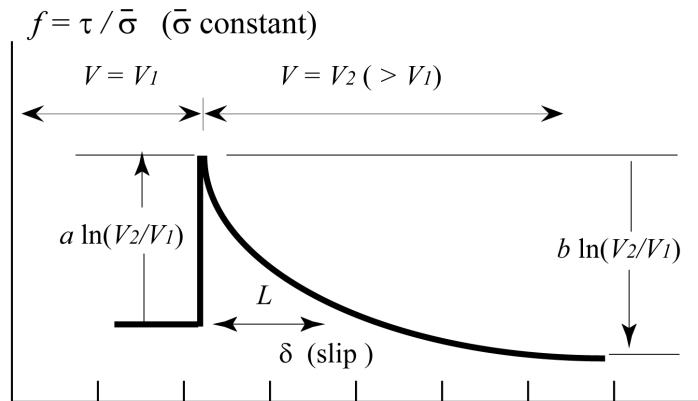
2. **Ratio between VW fault width to a critical nucleation size  $h^*$**  [Rice and Ruina, 1983; Rubin and Ampuero, 2005]

$$h_{RR}^* \sim \frac{\mu D_c}{(b-a)\sigma}; \quad h_{RA}^* \sim \frac{\mu b D_c}{(b-a)^2 \sigma}$$

$W / h^*$  controls fault sliding stability



# Rate-state friction



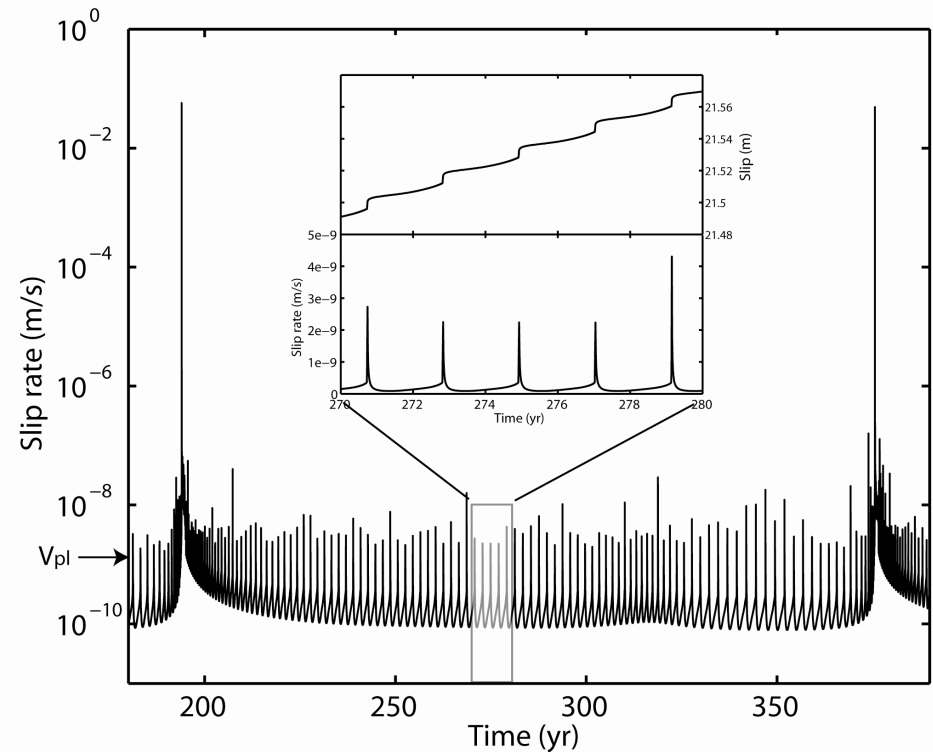
$$\tau = (\sigma - p) \left[ f_0 + a \ln \left( \frac{V}{V_0} \right) + b \ln \left( \frac{V_0 \theta}{D_c} \right) \right]$$

$$\frac{d\theta}{dt} = 1 - \frac{V\theta}{D_c} \quad \text{"ageing" law}$$

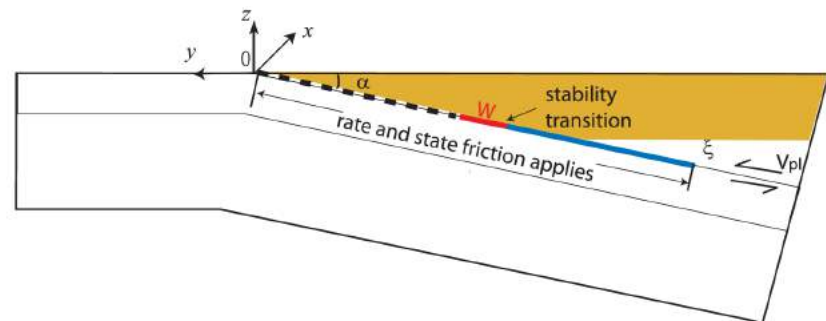
$$\tau_{ss} = (\sigma - p) \left[ f_0 + (a - b) \ln \left( \frac{V}{V_0} \right) \right]$$

$$\tau = \tau_0 - \int k(\delta - V_{pl}t) - \frac{\mu}{2c_s} \frac{\partial \delta}{\partial t}$$

[Dieterich, 1979; Ruina, 1983]

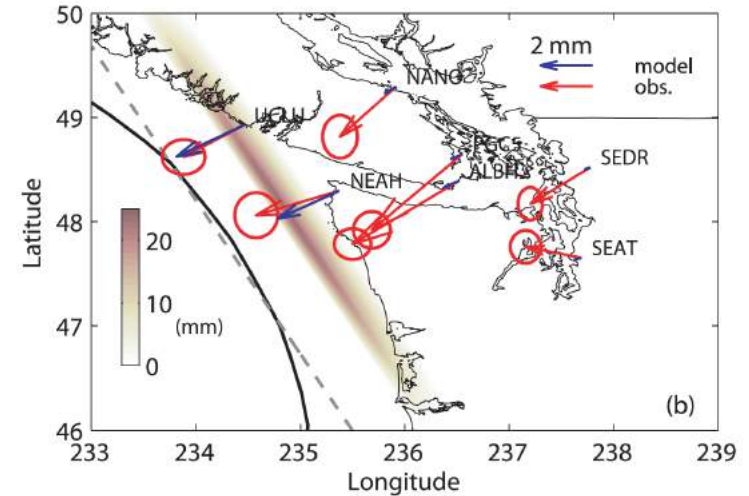
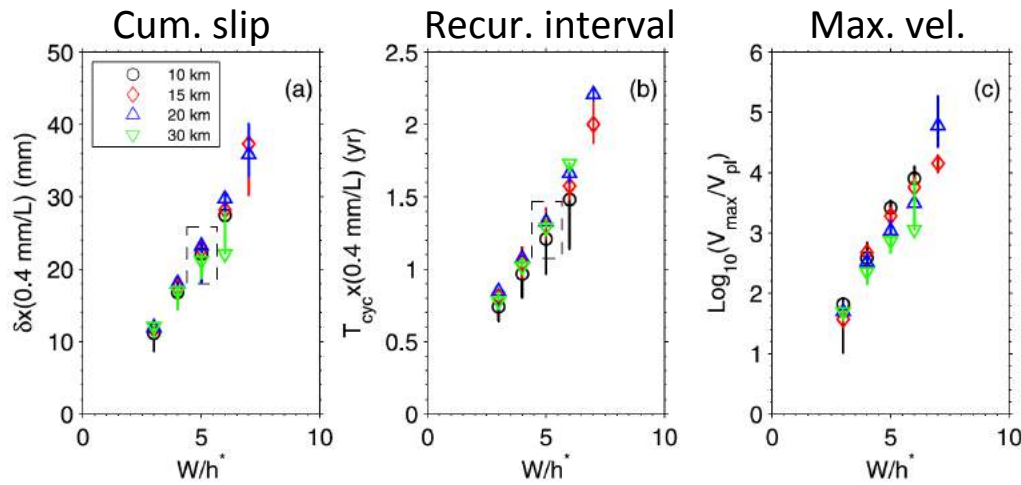


[Liu and Rice, 2009]

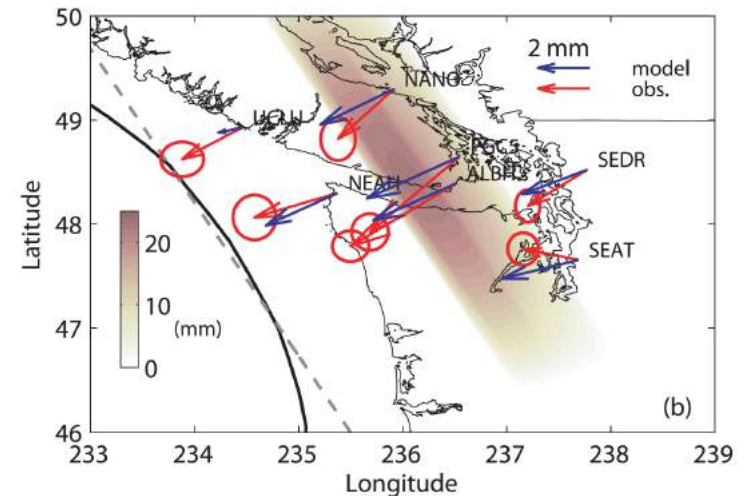
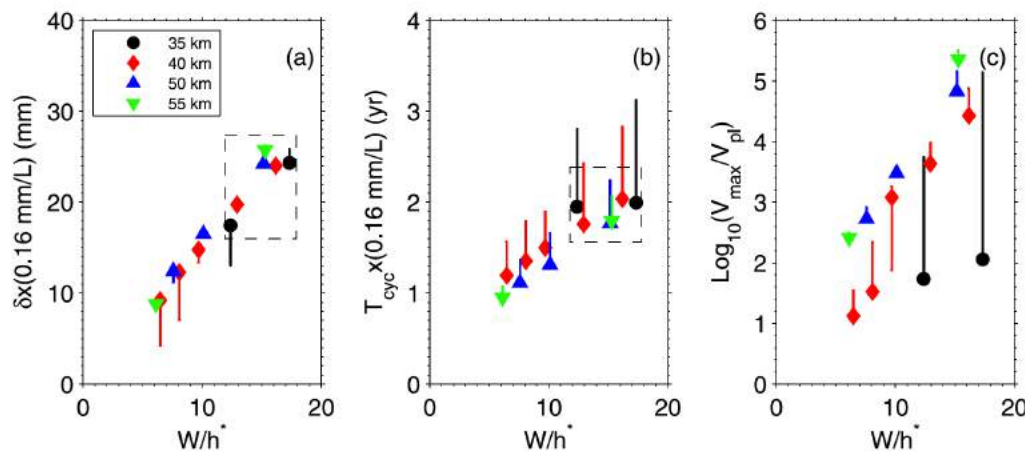


# Slow slip modeled on a planar fault

Wet granite gouge [Blanpied et al., 1998]

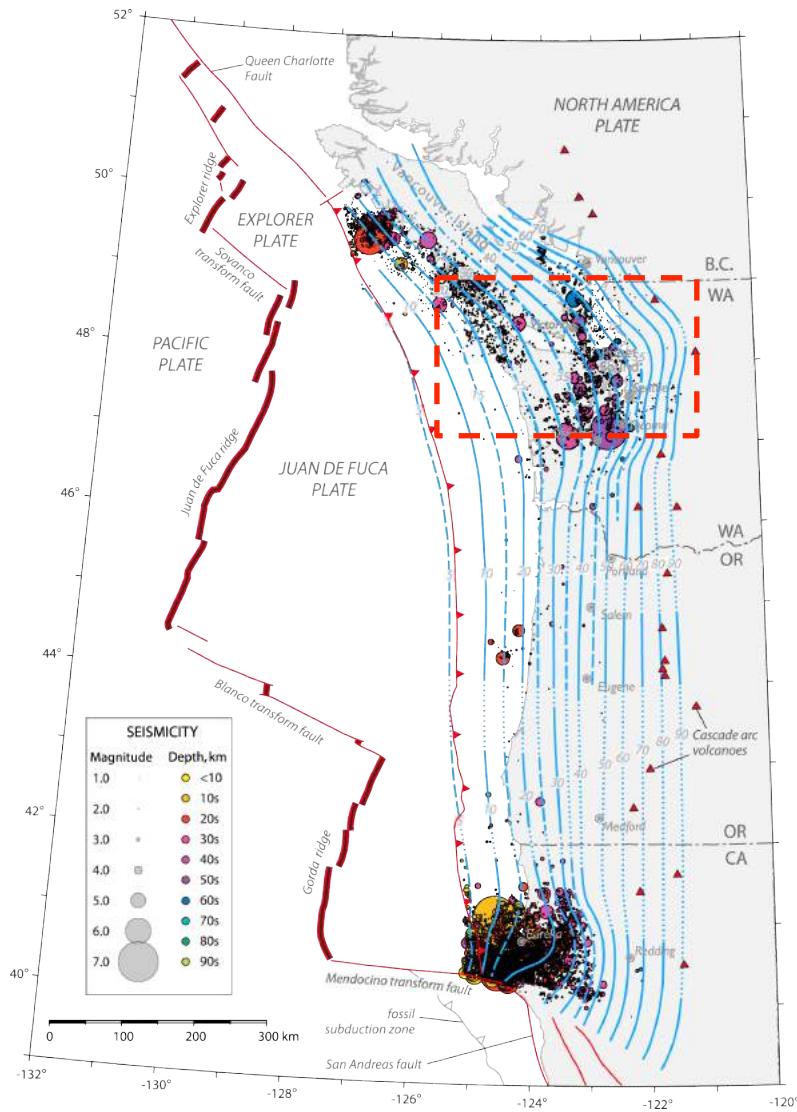


Gabro gouge [He et al., 2007]



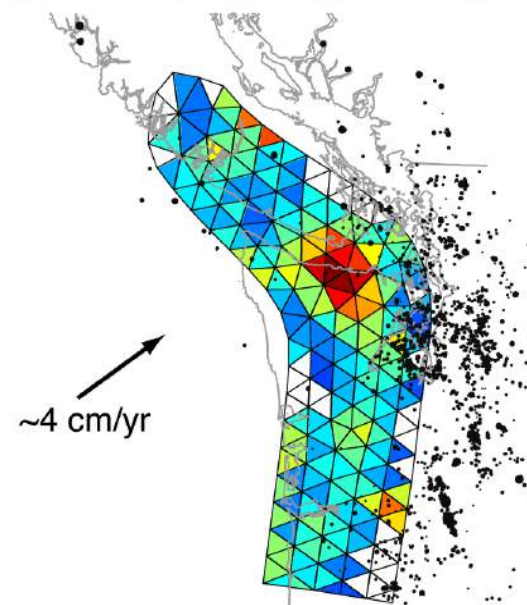
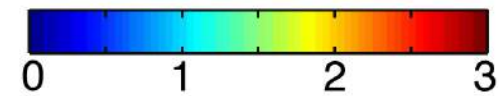
[Liu and Rice, 2009]

# Geometrical control on Cascadia SSE properties



[McCroy et al., 2012]

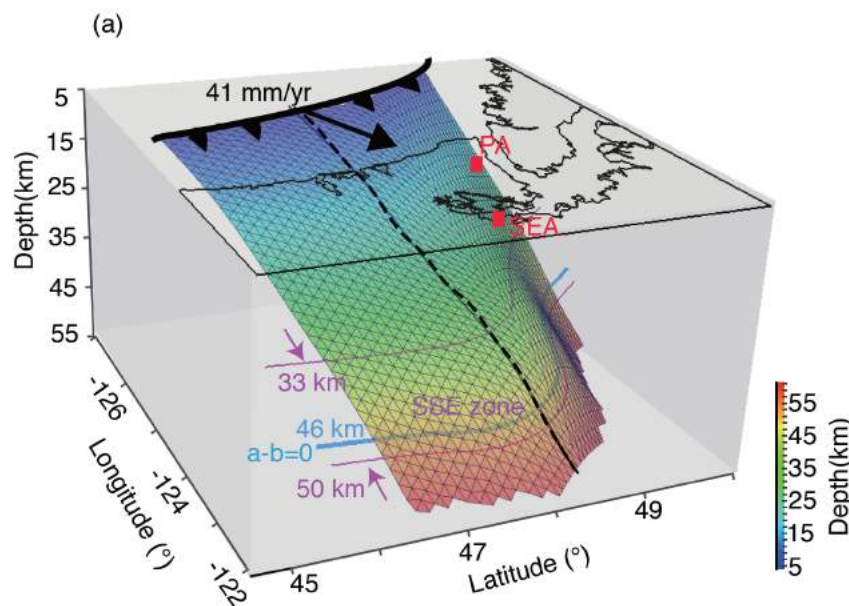
GPS inversion of SSEs 1998-2008  
Average Slip per Event (cm)



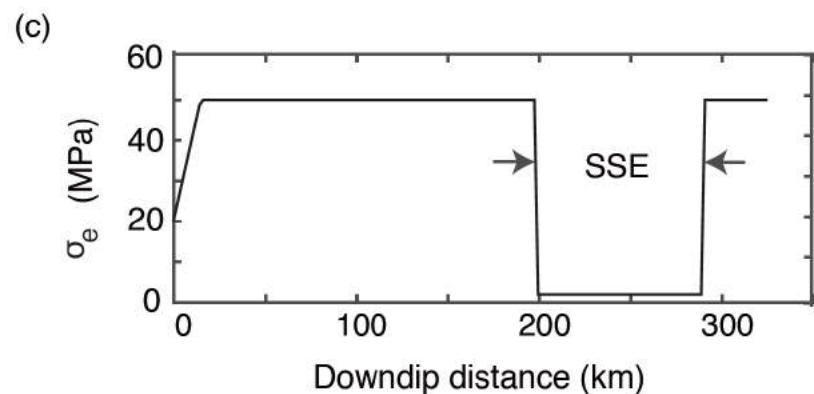
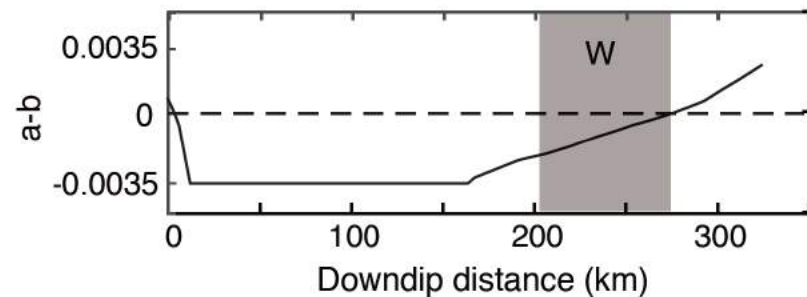
[Schmidt and Gao, 2010]

# 3D non-planar northern Cascadia fault model

Subduction fault geometry based on McCrory et al, 2012 (b)



[Li and Liu, 2016]

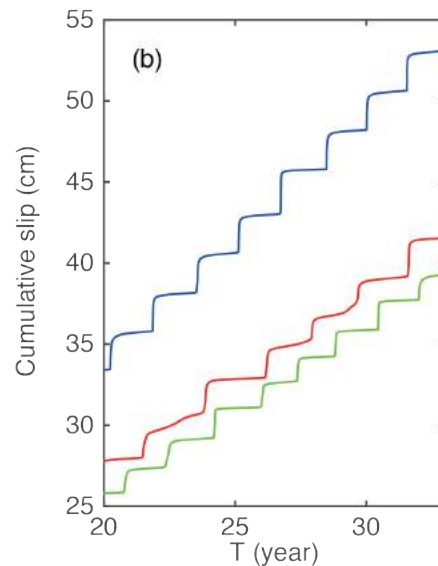
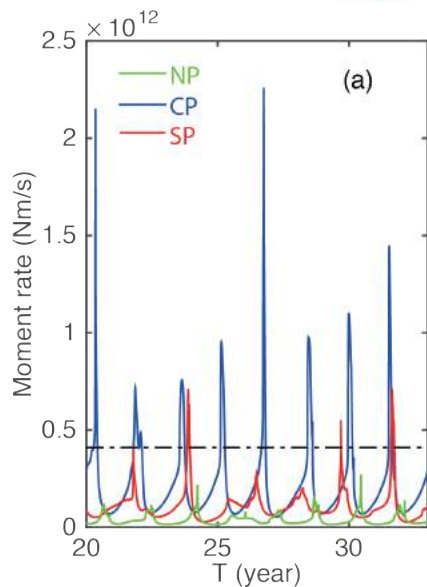
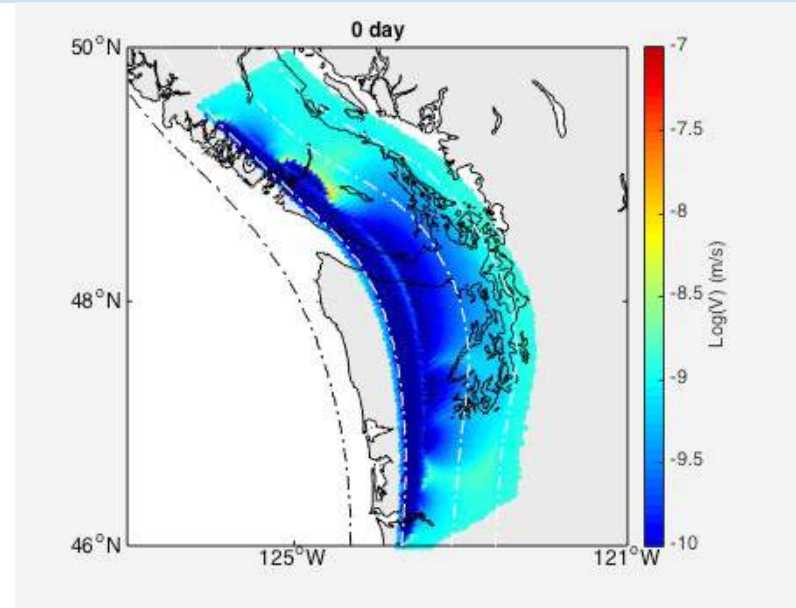
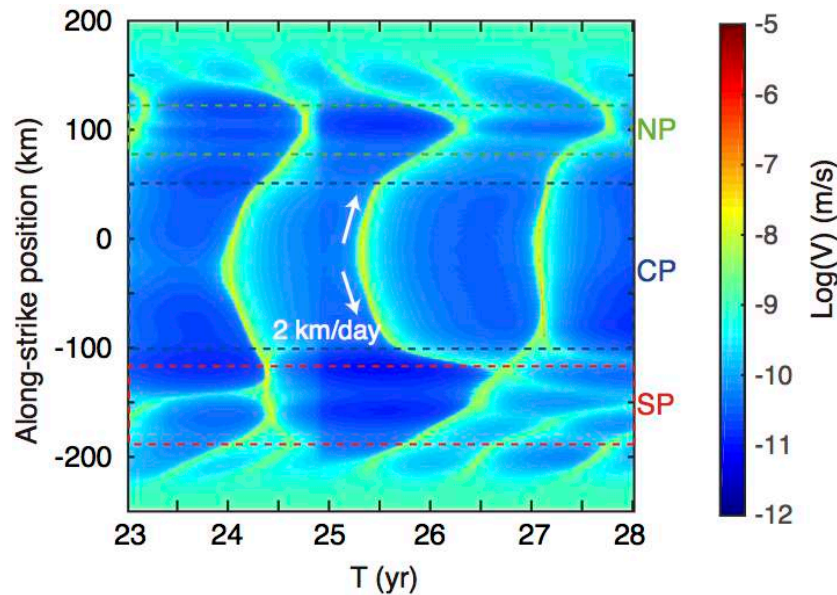


- SSE zone depths 33-50 km, along-dip width varies along-strike
- Effective normal stress of 1.5 MPa, characteristic slip distance of 0.7 mm in SSE zone.
- However, normal stress is time-invariant.
- Triangular dislocation elements,  $\sim 1$  km spacing [Stuart, 1997; Meade, 2007; Matsuzawa et al., 2013]

Numerical simulations of earthquake and slow slip on non-planar faults: [Dunham et al., 2011; Duan, 2012; Kozdon and Dunham, 2013; Matsuzawa et al., 2013...]



# Slow slip evolution



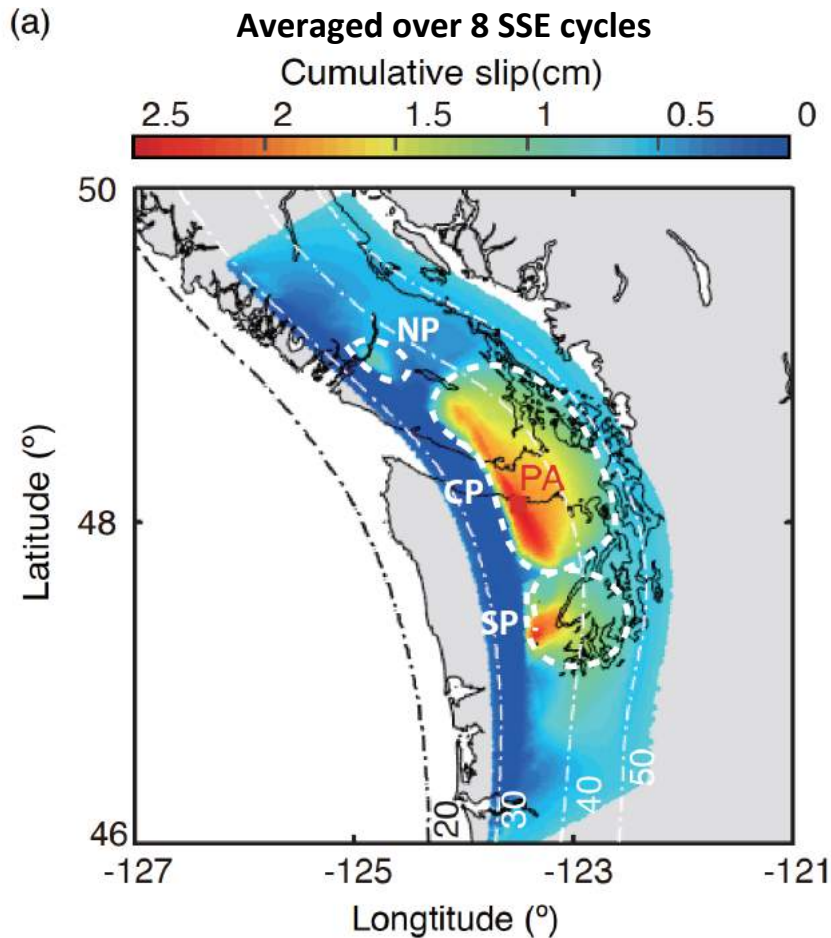
**Central patch:**  $\sim 150$  km, faster slip and higher moment rate

**North patch:**  $\sim 50$  km, slower slip and moment rate, smaller cumulative slip

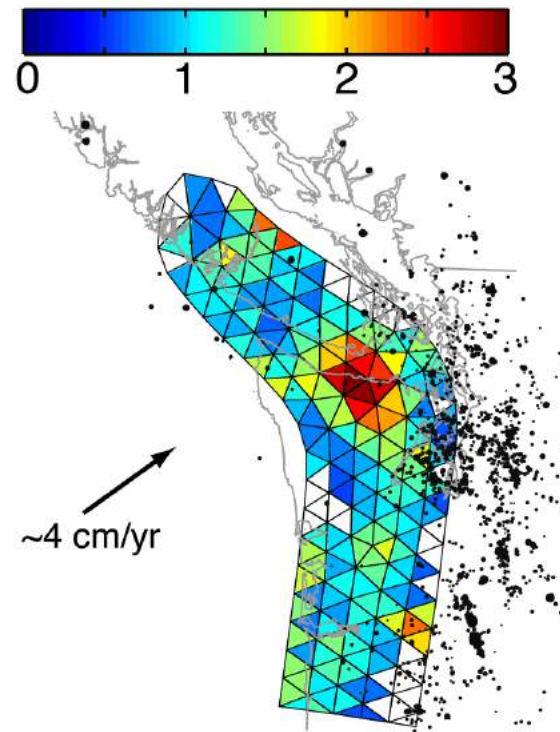
**South patch:**  $\sim 80$  km

Slip is interconnected between 3 patches, just at slower rates (below GPS detection threshold).

# Comparison to GPS inversion results



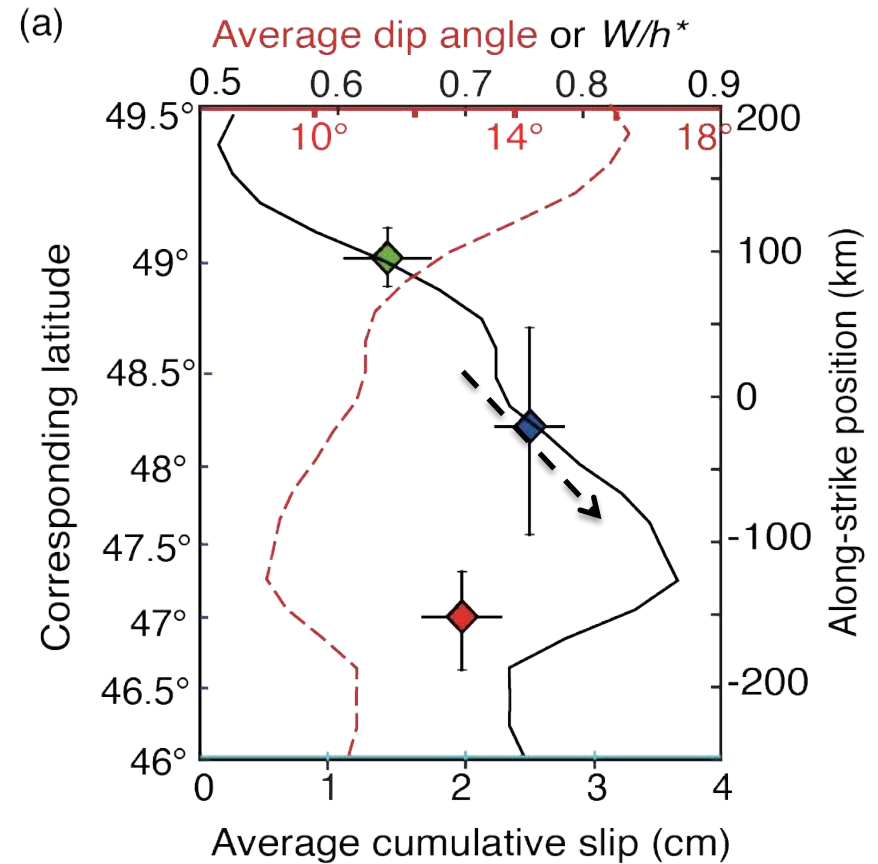
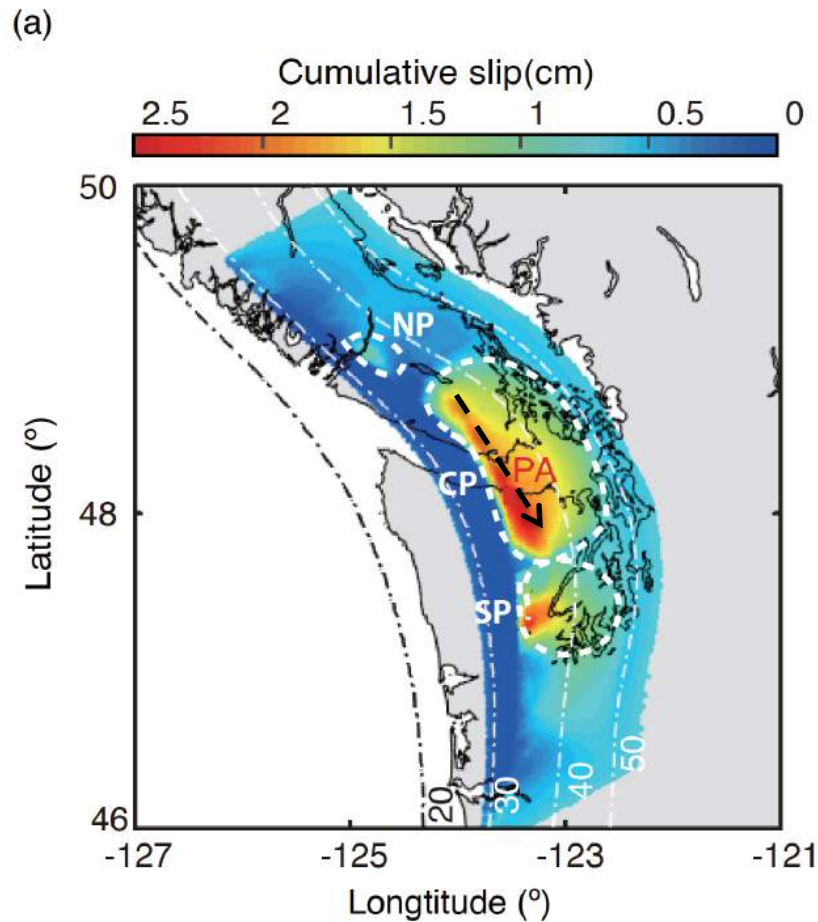
GPS inversion of SSEs 1998-2008  
Average Slip per Event (cm)



[Schmidt and Gao, 2010]

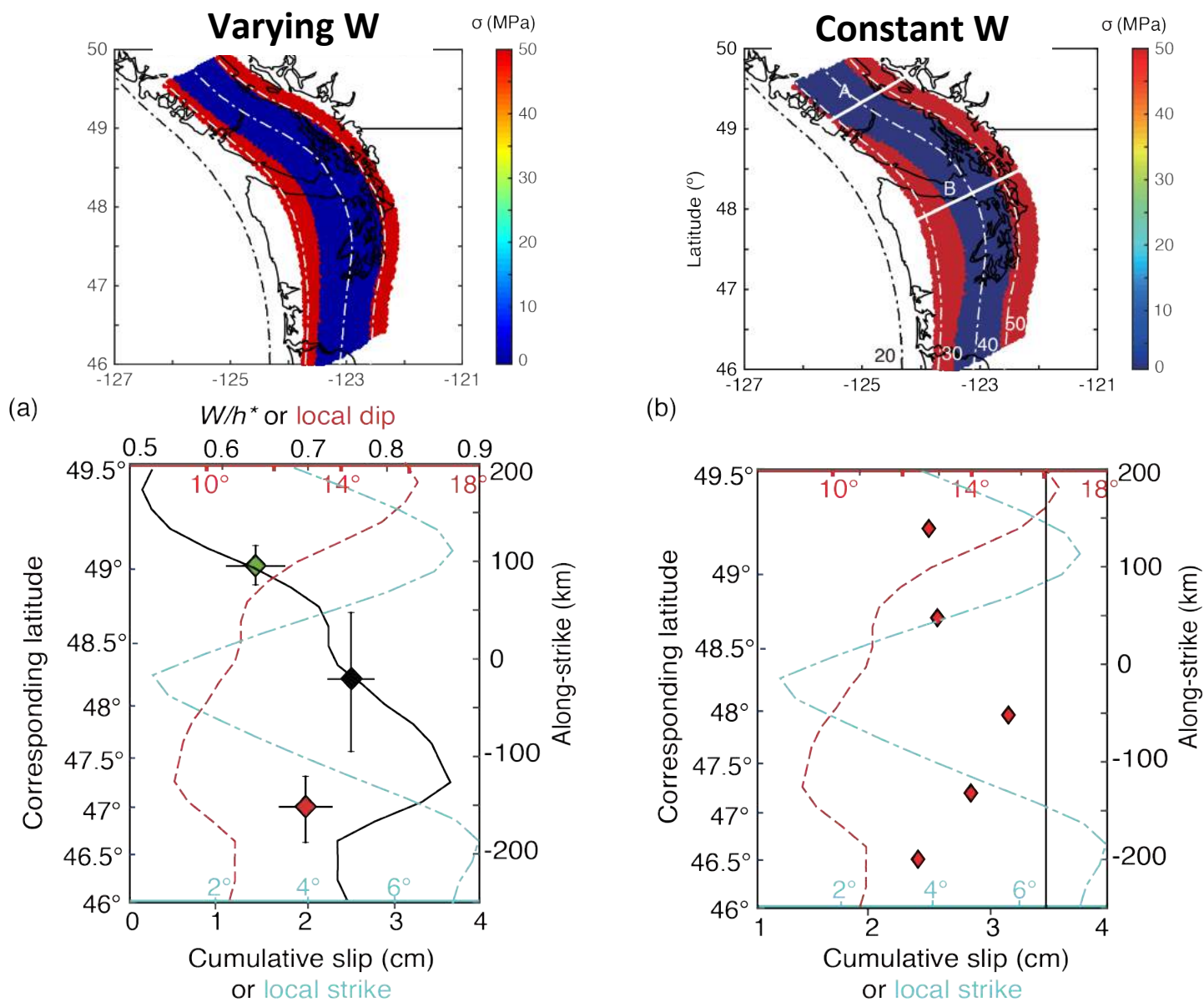
CP: Consistent with GPS inversion results of a major slip patch (~ 3 cm) beneath Port Angeles.  
NP and SP: ~ 1 and 2 cm slip, may correspond to smaller GPS signals.

# Correlation with SSE zone width

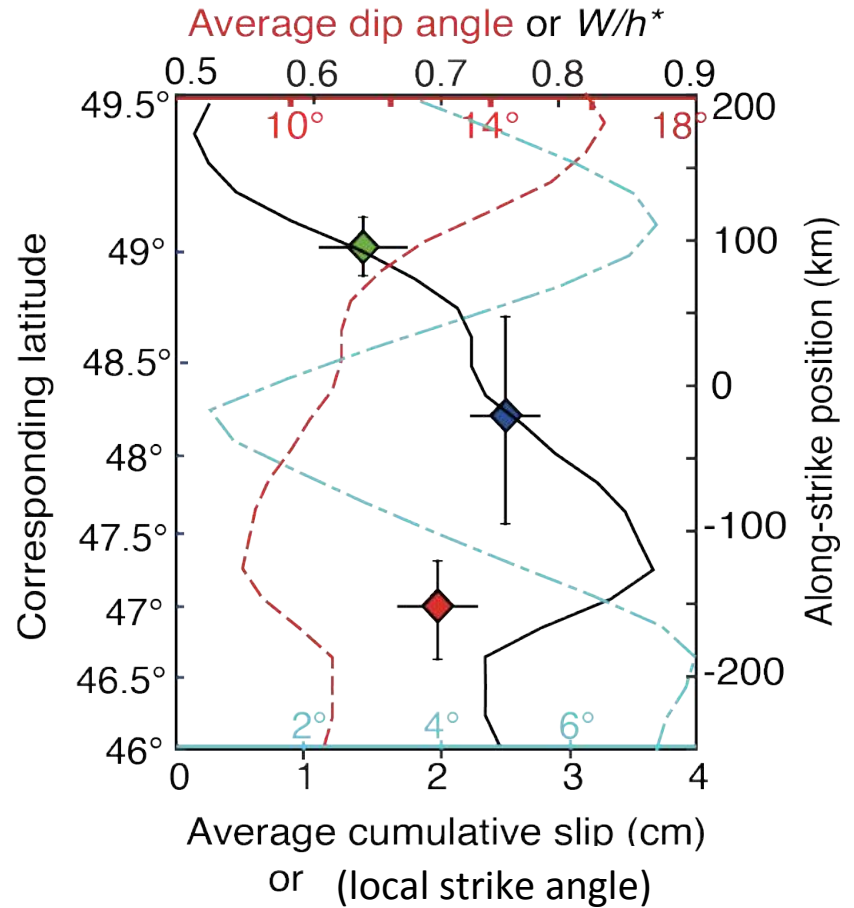
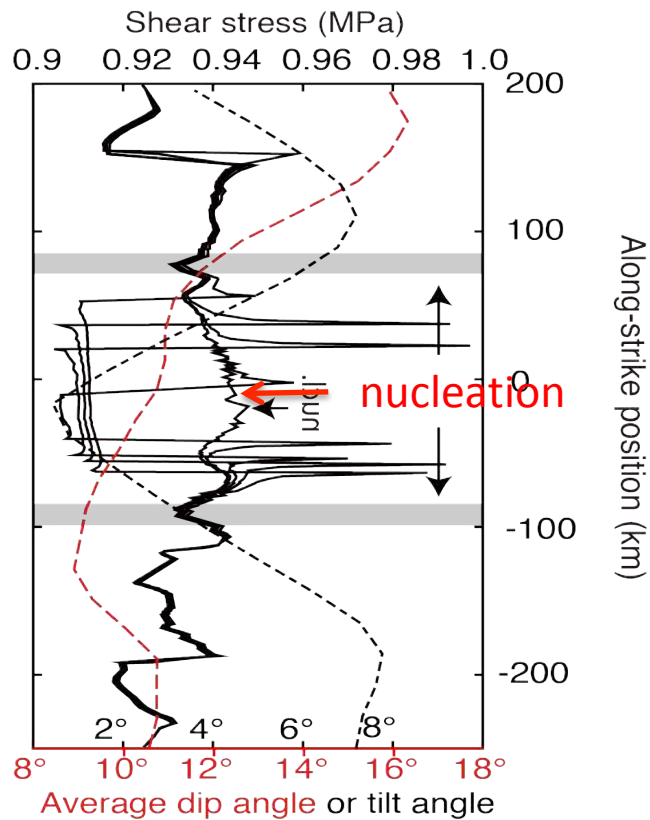


To remove the effect of  $W/h^*$  (SSE fault width and nucleation size)...

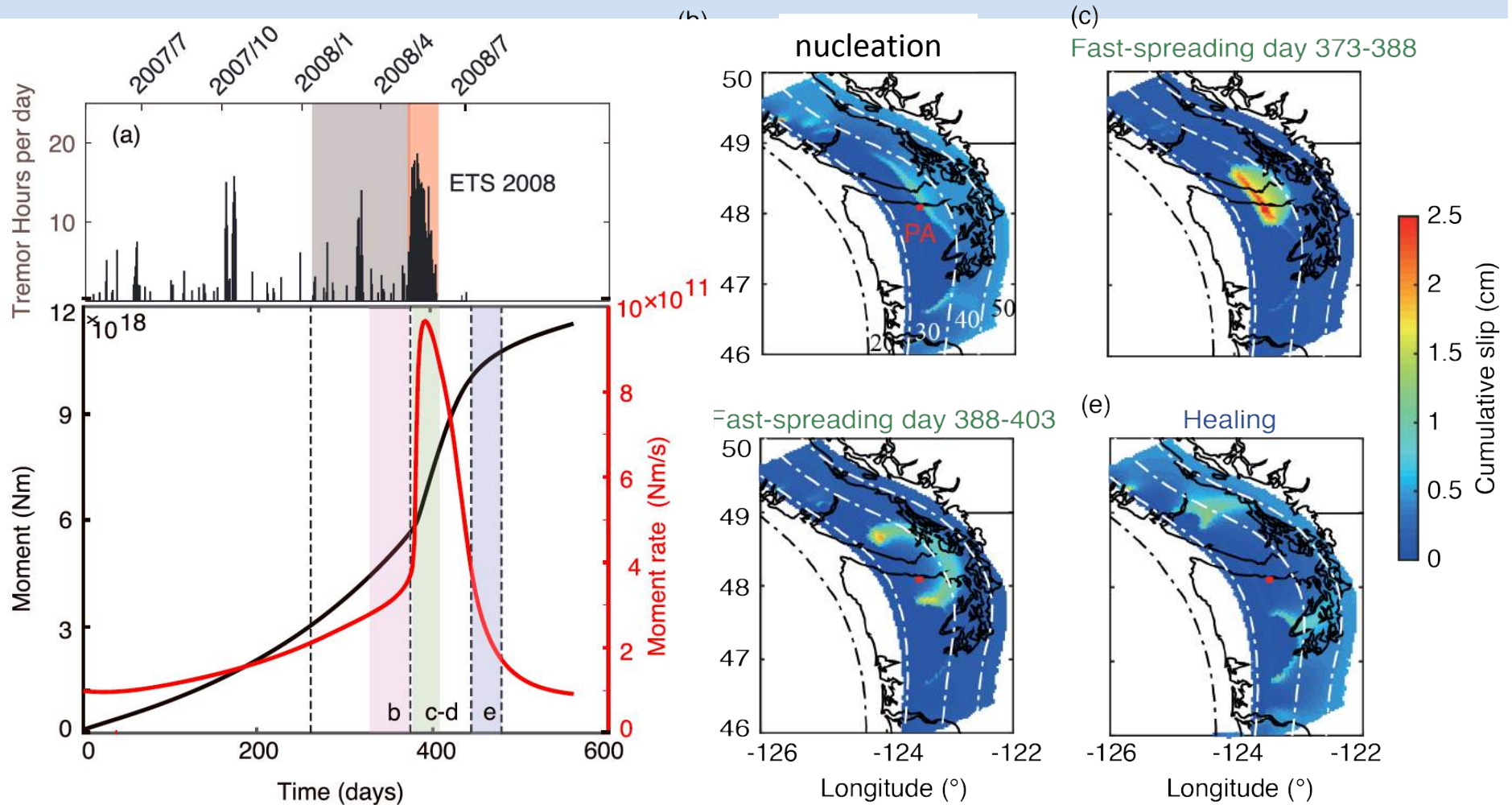
# Along-strike uniform SSE zone width



# Effect of local strike angle

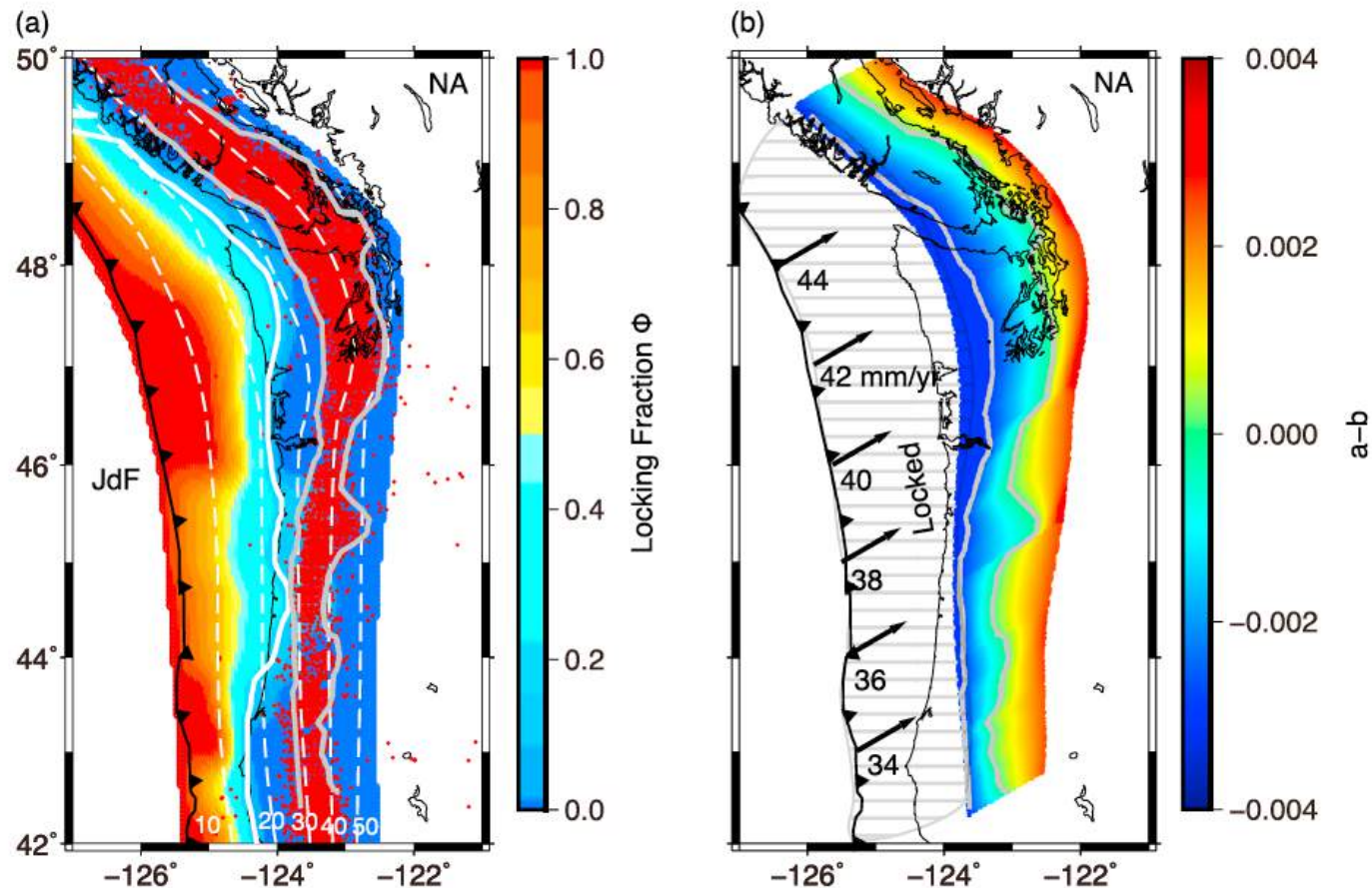


# SSE nucleation and healing phases



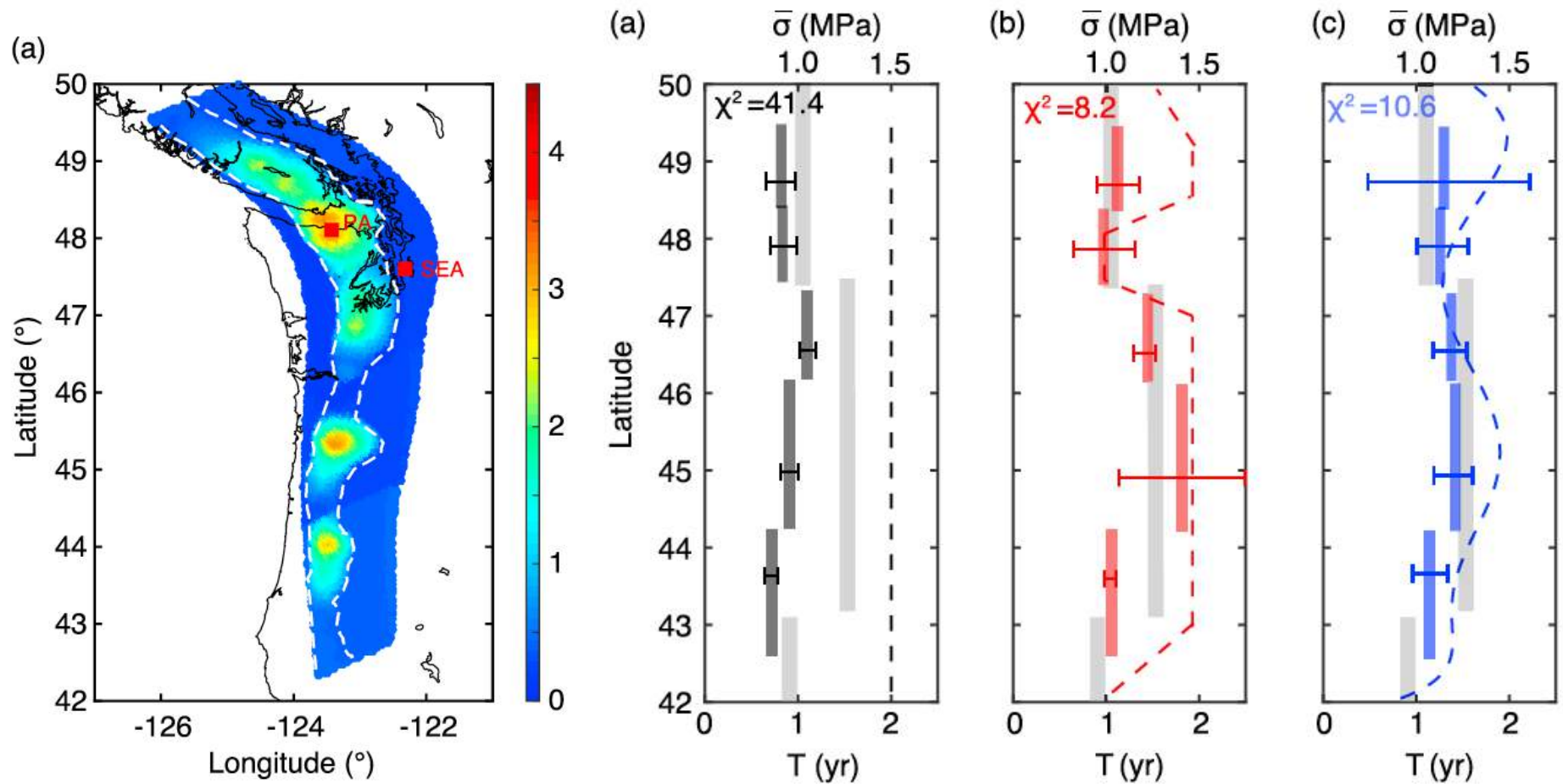
Slower slip during nucleation and healing phases is below current GPS detection threshold [Wech and Bartlow, 2014], and may drive deeper, more frequently occurring **inter-ETS tremors** [Wech and Weager, 2011].

# Constrain friction parameter with tremor distribution and geodetic locking



- PNSN tremor catalog 2009/08-2015/04; [Li and Liu, 2017]
- Geodetic locking model Schmalzle et al. [2014]

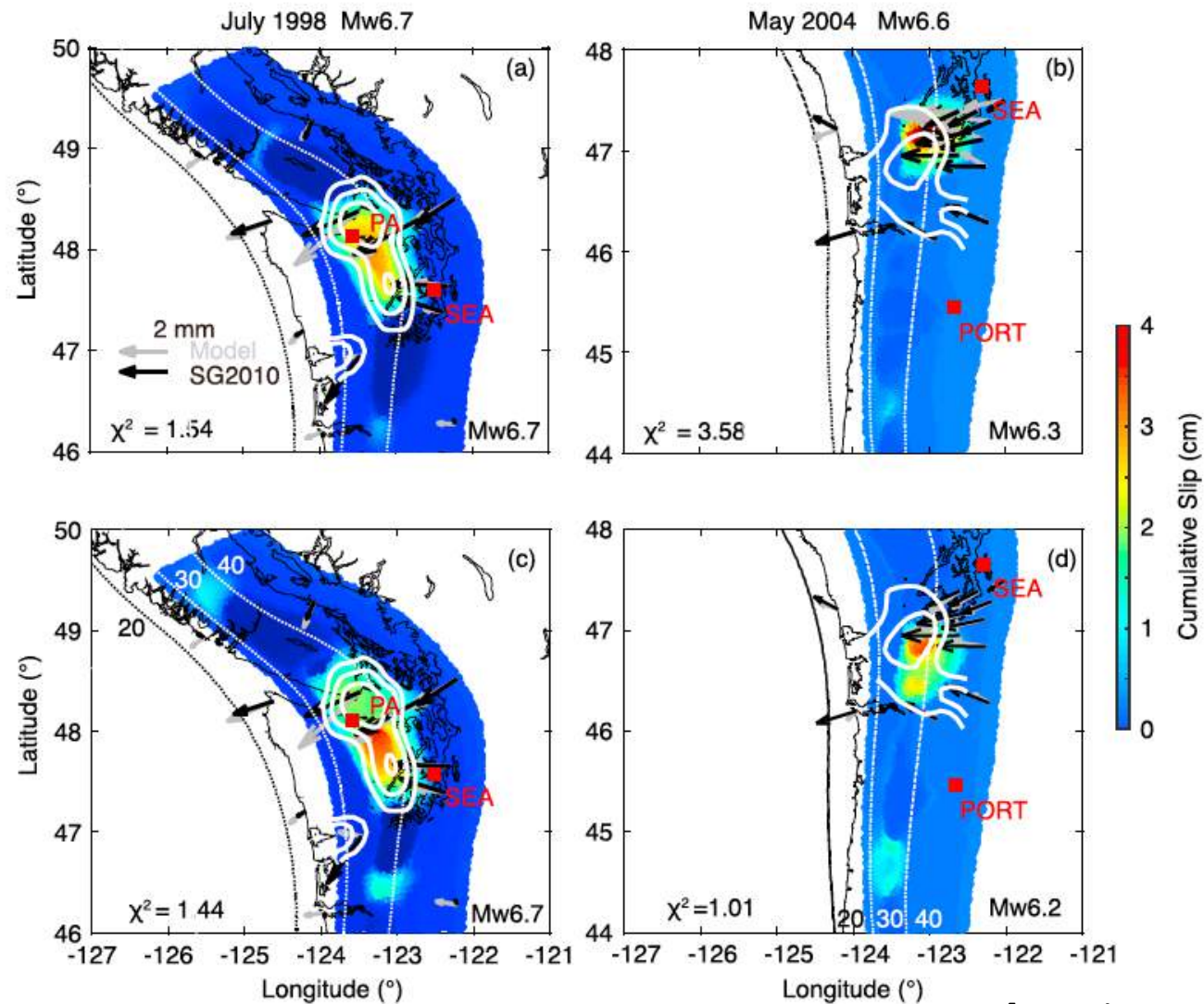
# SSE along-strike segmentation



[Li and Liu, 2017]



# Comparison to GPS vectors and slip inversion



[Li and Liu, 2017]

# Summary

- Subduction fault geometry plays an important role in controlling slow slip source properties, including cumulative slip, recurrence interval and along-strike segmentation pattern.
- Larger slip accumulates where fault local dip and local strike angles are small.
- SSE source properties are better reproduced with model parameters constrained by other types of observations (geodetic locking, tremor distribution, gravity anomalies, and others?).

