

**ASCE 7-10, Chapter 21
Procedures for Determining Site-
Specific, Risk-Targeted, Maximum
Considered Earthquake (MCE_R)
Response Spectra**

C. B. Crouse
URS Corporation

SCEC UGMS Committee Meeting
November 3, 2014

ASCE 7-10; Ch.21 Site-Specific Ground Motion

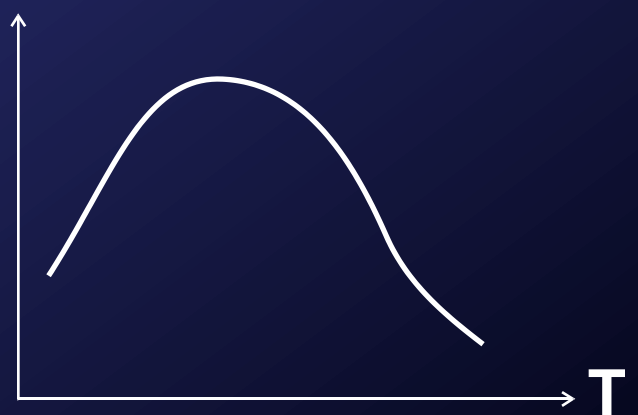
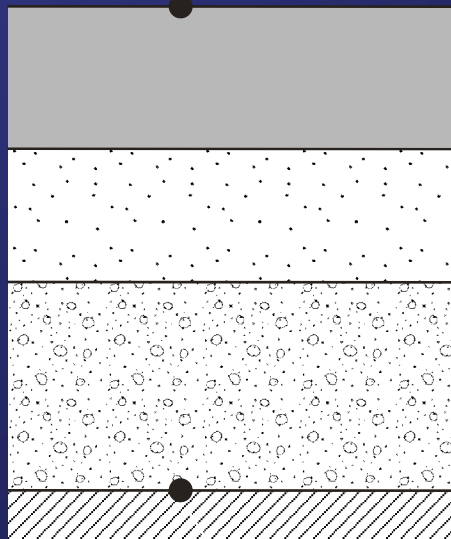
SRA

PSHA/DSHA

and/or

S_a

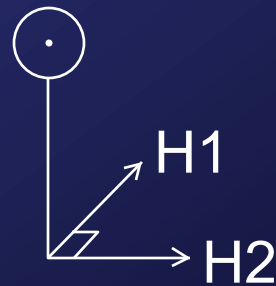
T



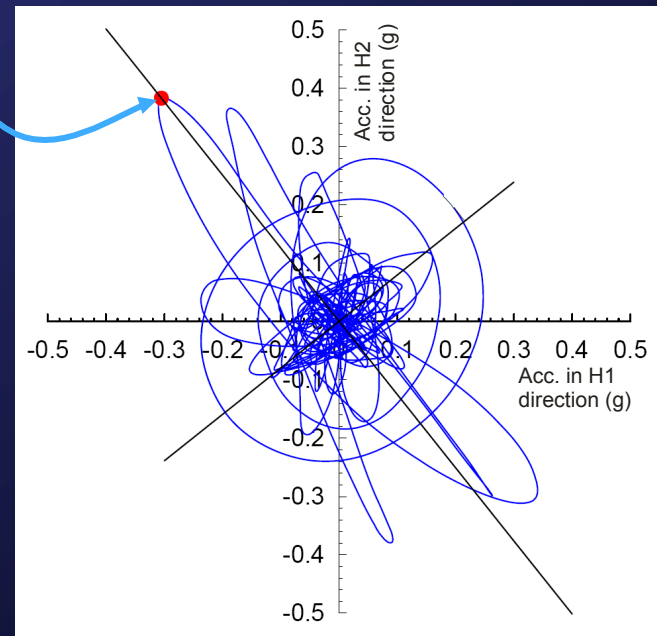
2008 USGS S_s and S_l Maps in ASCE 7-10



1 d.o.f.



Max Sa



NGA West GMPEs Compute

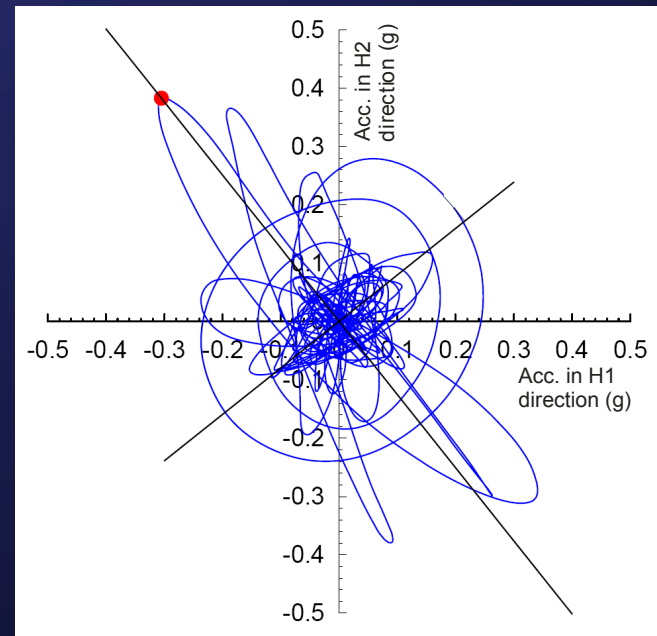
$$\text{RotIM50} \sim \text{Geometric Mean} = \sqrt{\text{Sa}_1 * \text{Sa}_2}$$

Convert RotIM50 to RotD100 (i.e, max Sa)

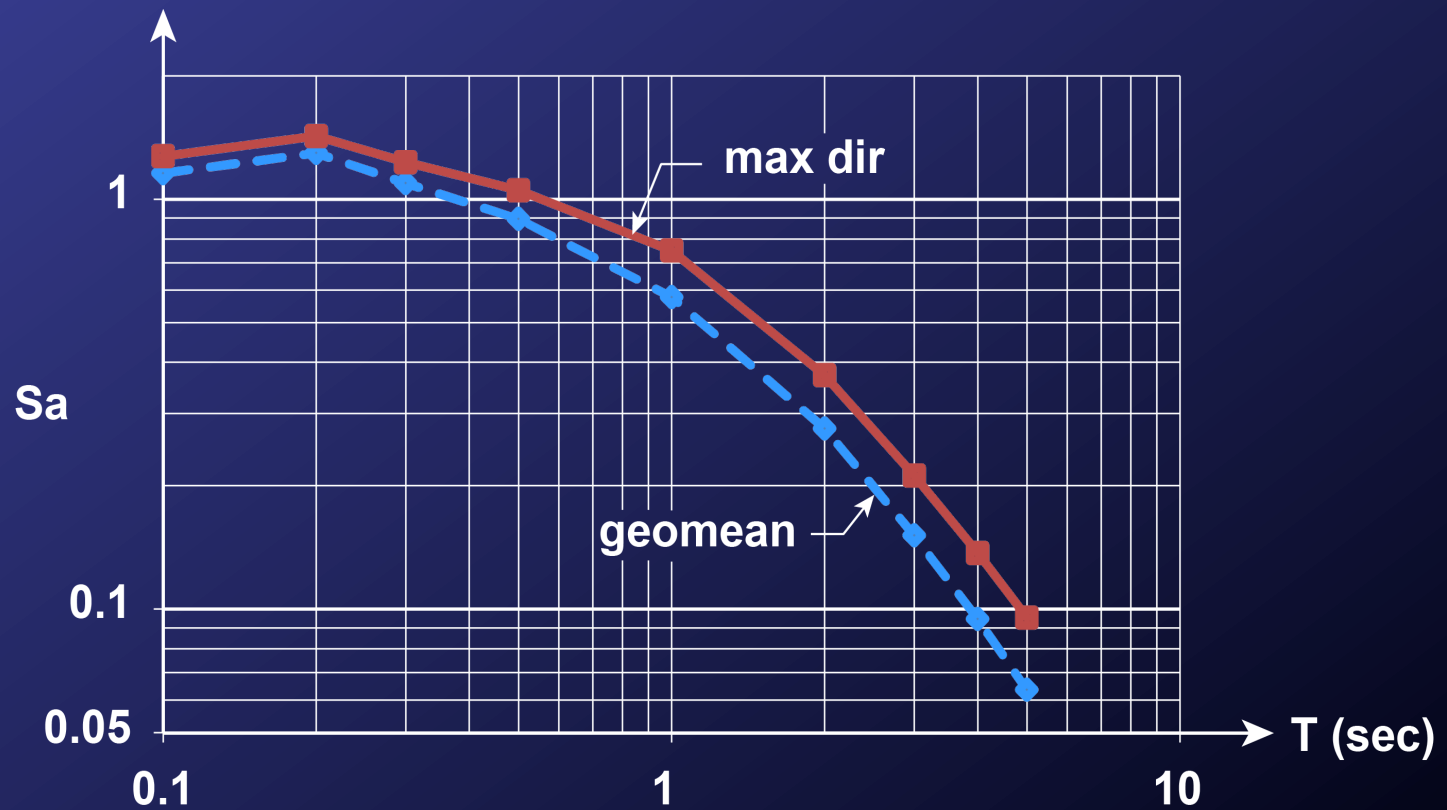
Used: Sashi & Baker (2013)

CyberShake Simulations

- Max Sa computed directly from simulated H1 & H2 time histories.



Adjustment of NGA West GMPEs from Geomean Sa to Max Direction Sa



Site-Specific Ground Motion Procedures in Ch. 21 of ASCE 7-10 \longrightarrow MCE_R

Sect. 21.2.1: Probabilistic $MCE_R \longrightarrow S_a^{Prob}$

Sect. 21.2.2: Deterministic $MCE_R \longrightarrow S_a^{Det}$

Sect. 21.2.3: Site-Specific MCE_R

$$S_{aM}(T) = \min[S_a^{Prob}(T), S_a^{Det}(T)]$$

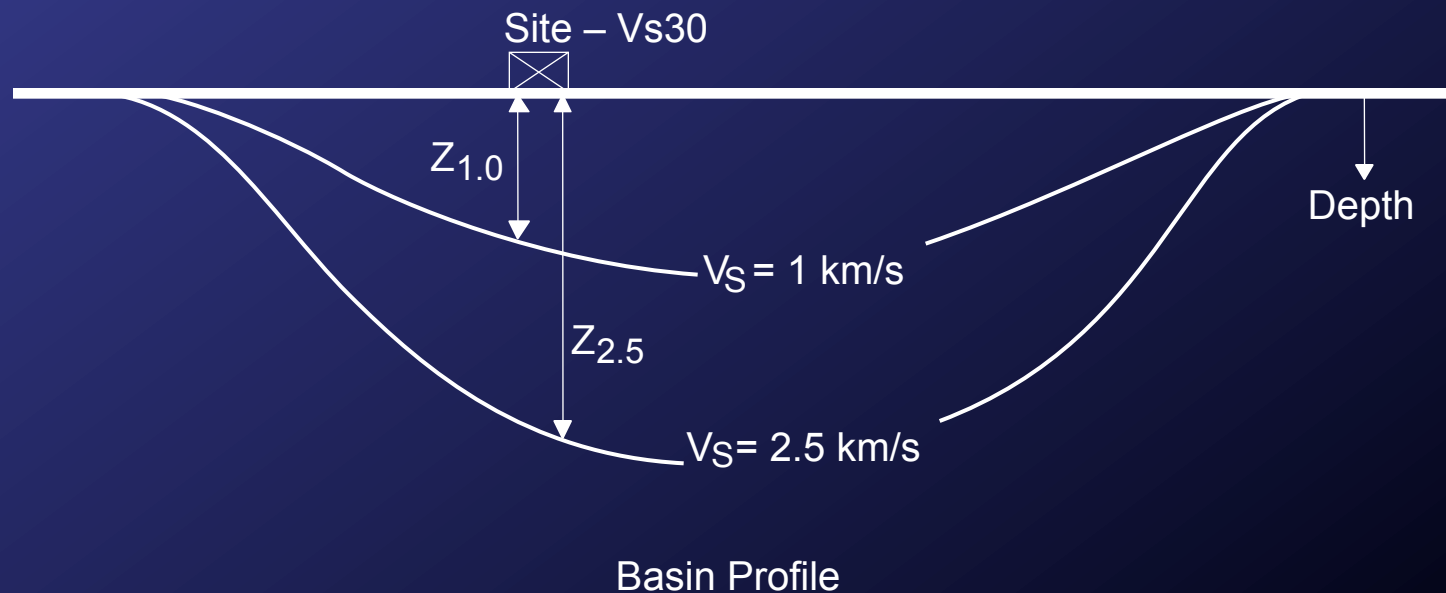
Probabilistic MCE_R

1. Characterize fault recurrence rate (SCEC UCERF2)
2. Perform PSHA with NGA GMPEs or CyberShake simulations
3. Compute seismic hazard curves for each T
(Ignore background seismicity)



2013 NGA Equations with Basin Depth Terms

- Abrahamson et al – Z1.0
- Boore et al – Z1.0
- Campbell & Bozorgnia – Z2.5
- Chiou & Youngs – Z1.0



ASCE 7-10: Two Methods to convert seismic hazard curves to Probabilistic MCE_R

Method 2 (Exact) in Sect. 21.2.1.2

- Uses “Risk Integral” Equation
- Selected for NGA GMPEs & CyberShake

Probabilistic MCE_R

“Risk Integral”

$$P_f = \int_0^{\infty} P(a) \frac{dP_f(a)}{da} da$$

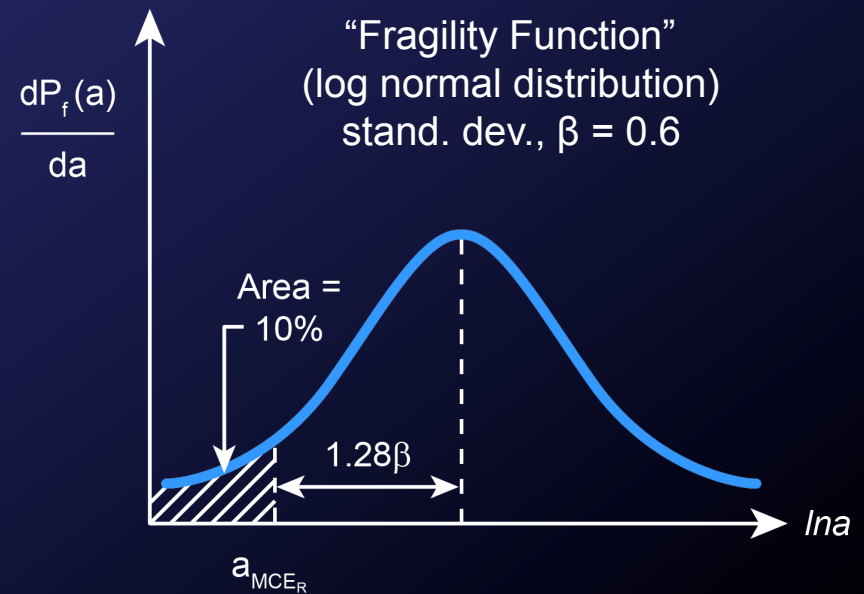
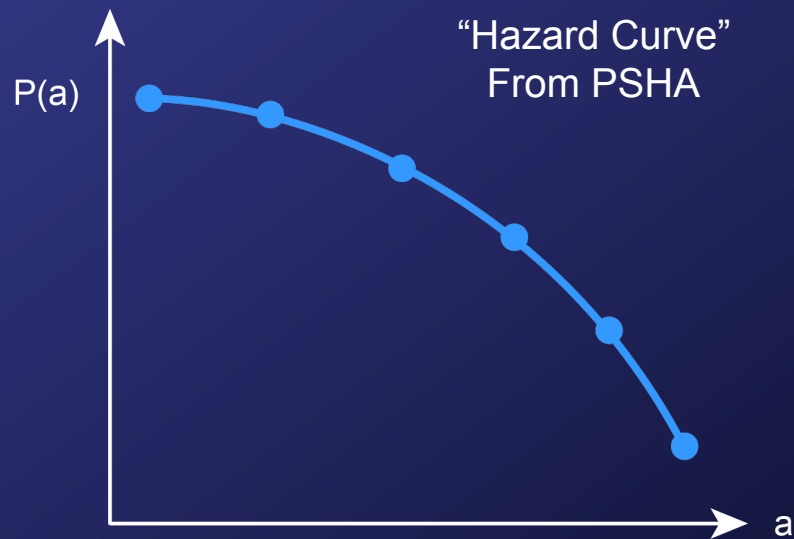
where

- $P_f =$ 1% probability collapse in 50 yrs
- $P(a) =$ probability of exceeding spectral acceleration in 50 yrs
- $P_f(a) =$ probability of collapse given spectral acceleration

Probabilistic MCE_R

“Risk Integral”

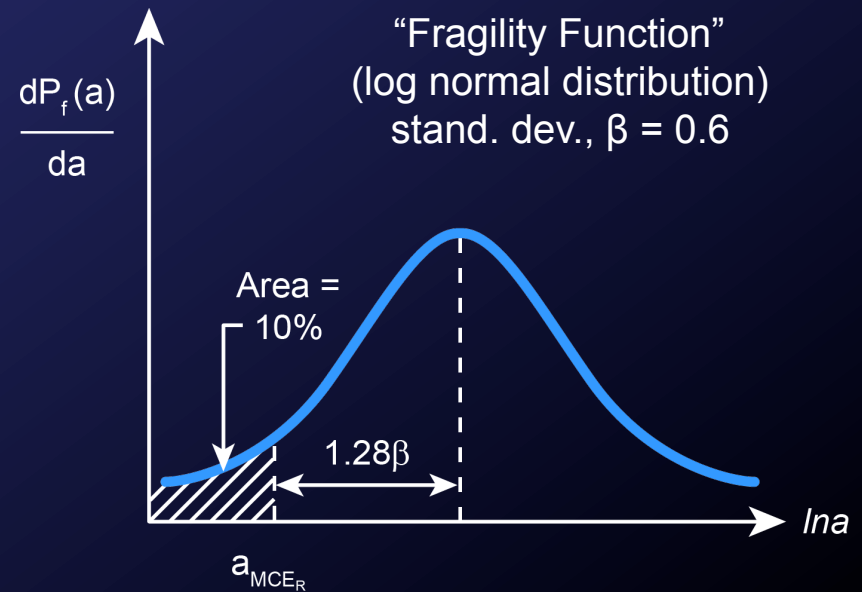
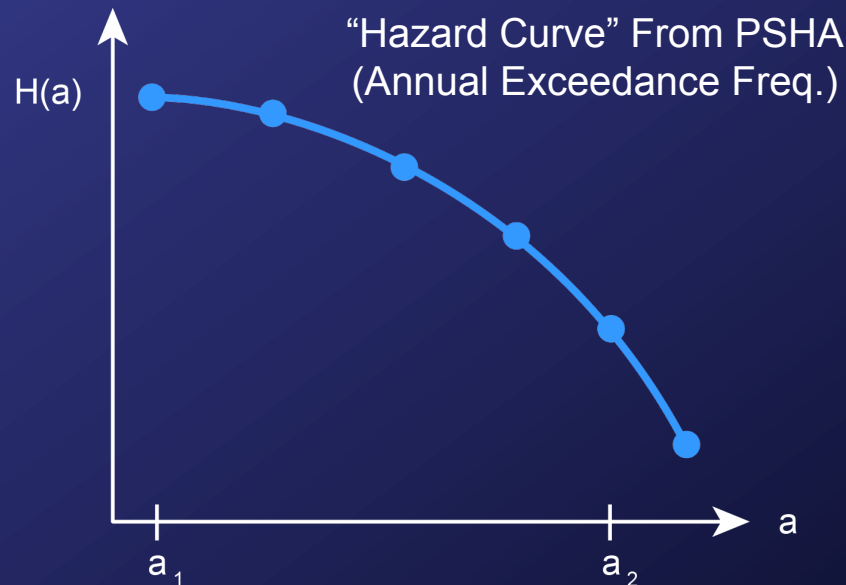
$$P_f = \int_0^{\infty} P(a) \frac{dP_f(a)}{da} da$$



Probabilistic MCE_R (Actual Calc.)

“Risk Integral” becomes:

Annual Collapse Freq. $\rightarrow H_f = \int_{a_1}^{a_2} H(a) \frac{dP_f(a)}{da} da$



Calculation of a_{MCE_R} is Iterative

- Assume $a_{MCE_R} = 2475\text{-yr a}$
- Compute H_f
- Adjust a_{MCE_R} \uparrow or \downarrow
- Repeat until $H_f \approx 0.000201$

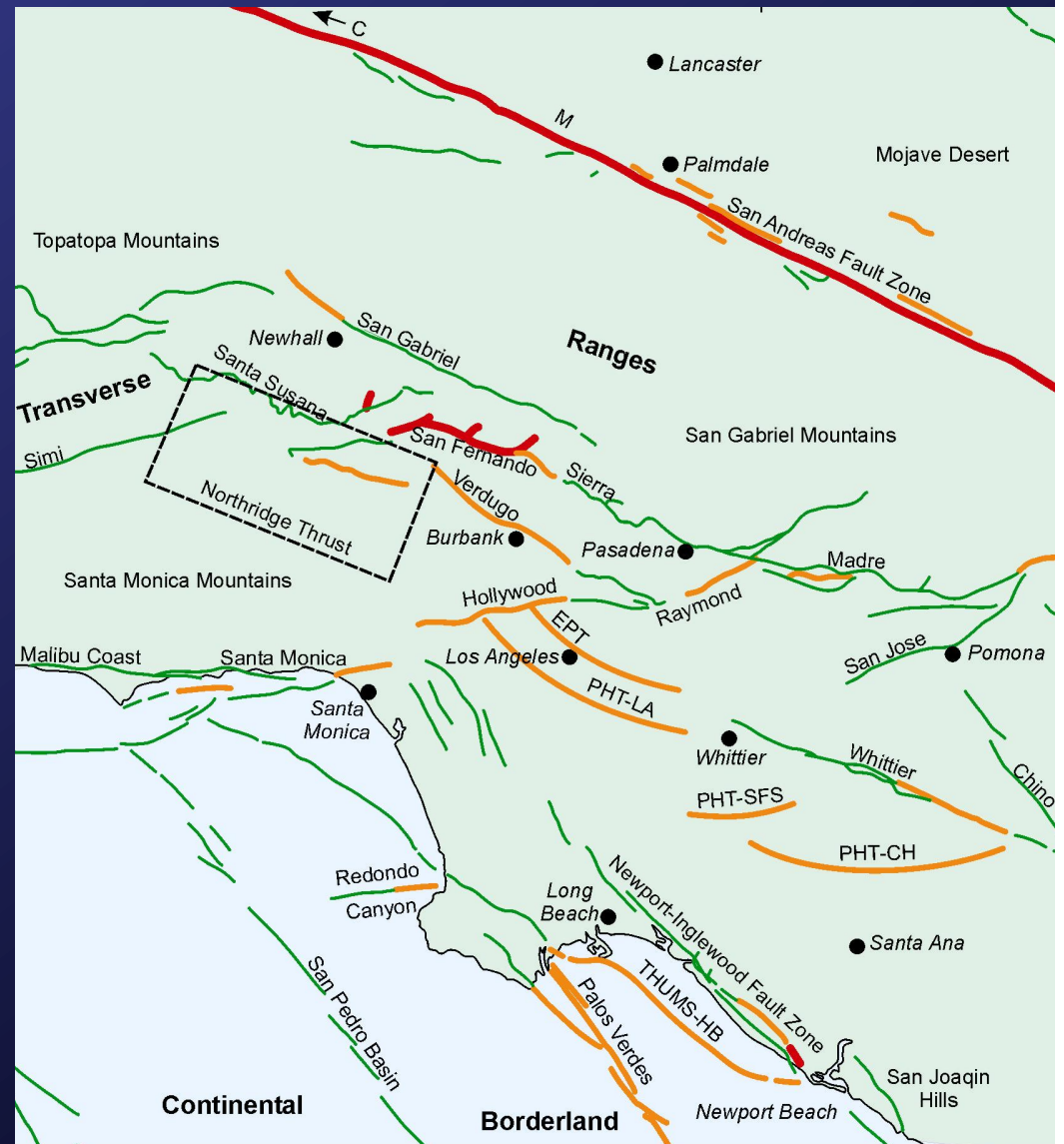
Deterministic MCE_R – from NGA GMPEs

1. Identify Controlling Faults
2. Postulate M_{MAX} for each Fault
3. Use same GMPE's & weights in PSHA



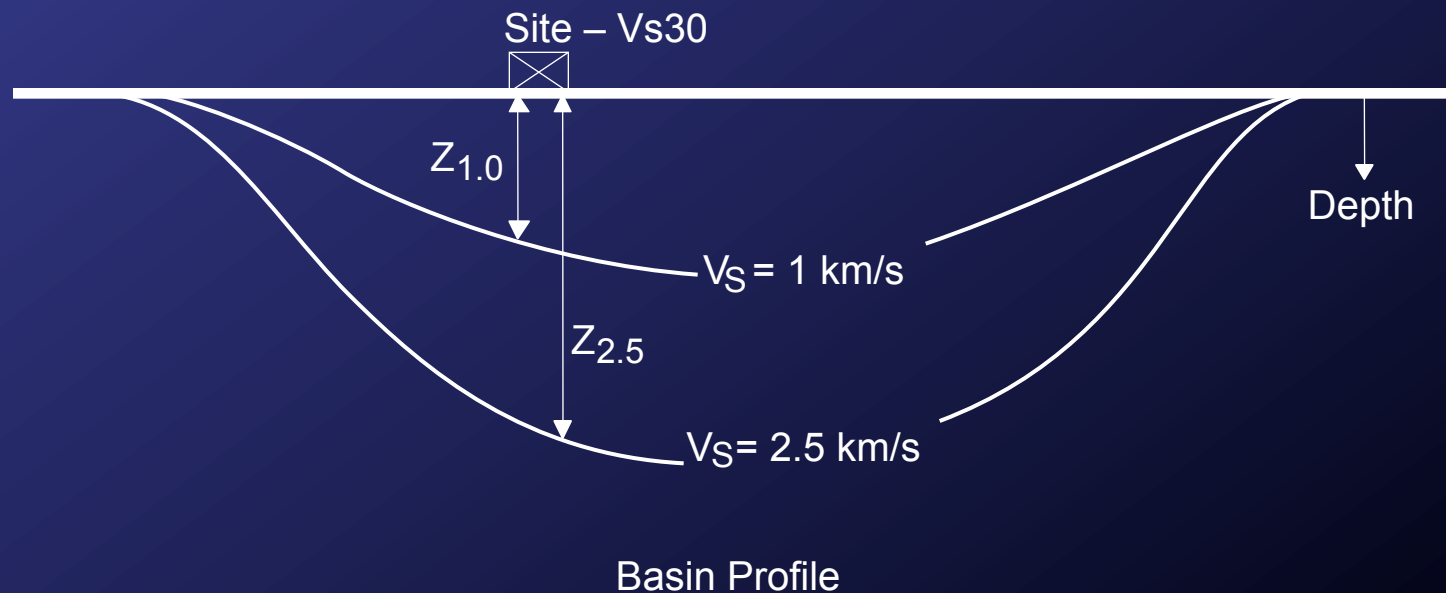
84th Percentile $S_a(T)$

“median + 1σ ”



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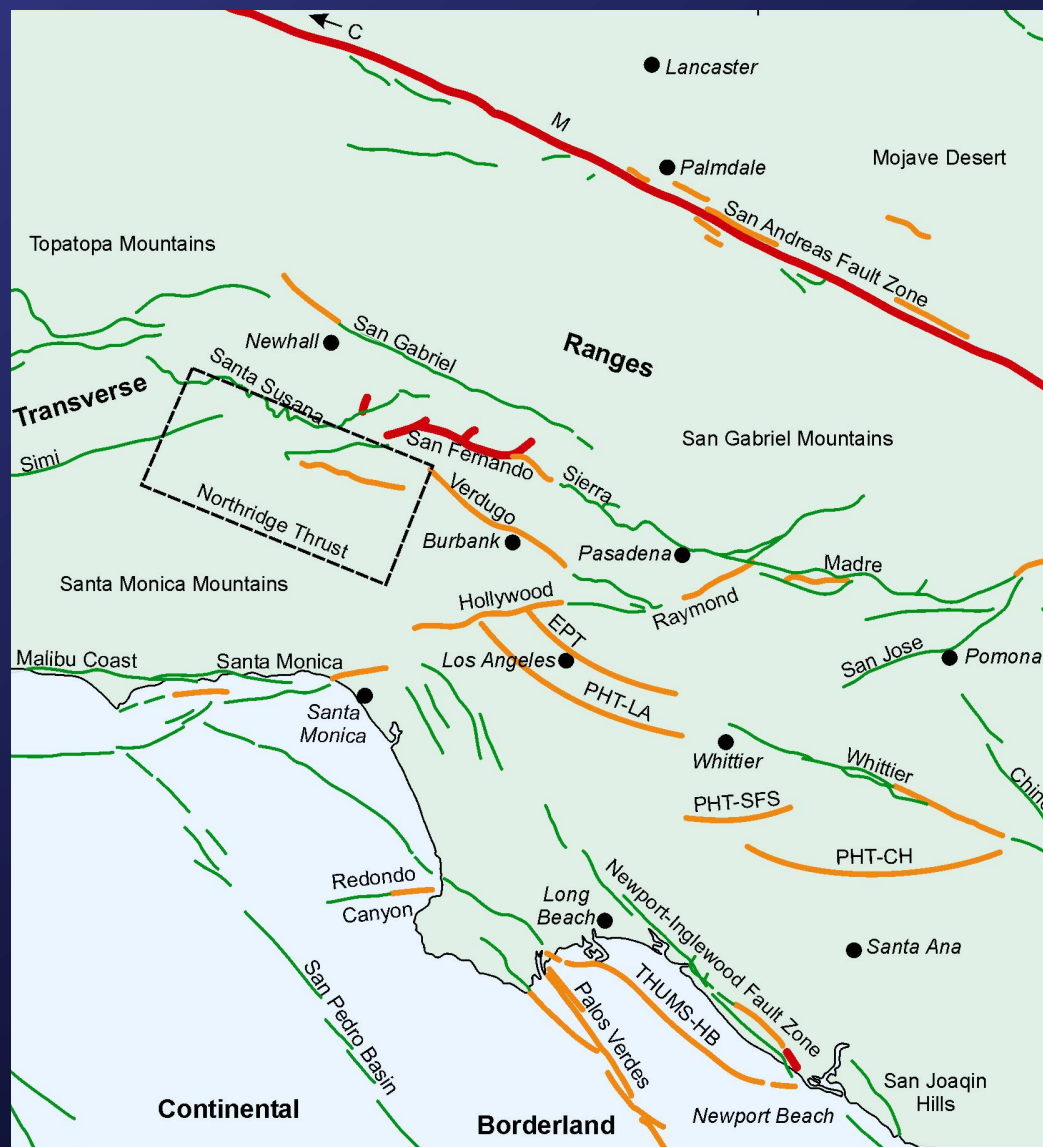


Deterministic MCE_R – from CyberShake Simulations

1. Select same USGS faults & M_{MAX}
2. Identify ruptures for $M_{MAX} \pm 0.1$ on each fault
3. Compute Max S_a for each rupture

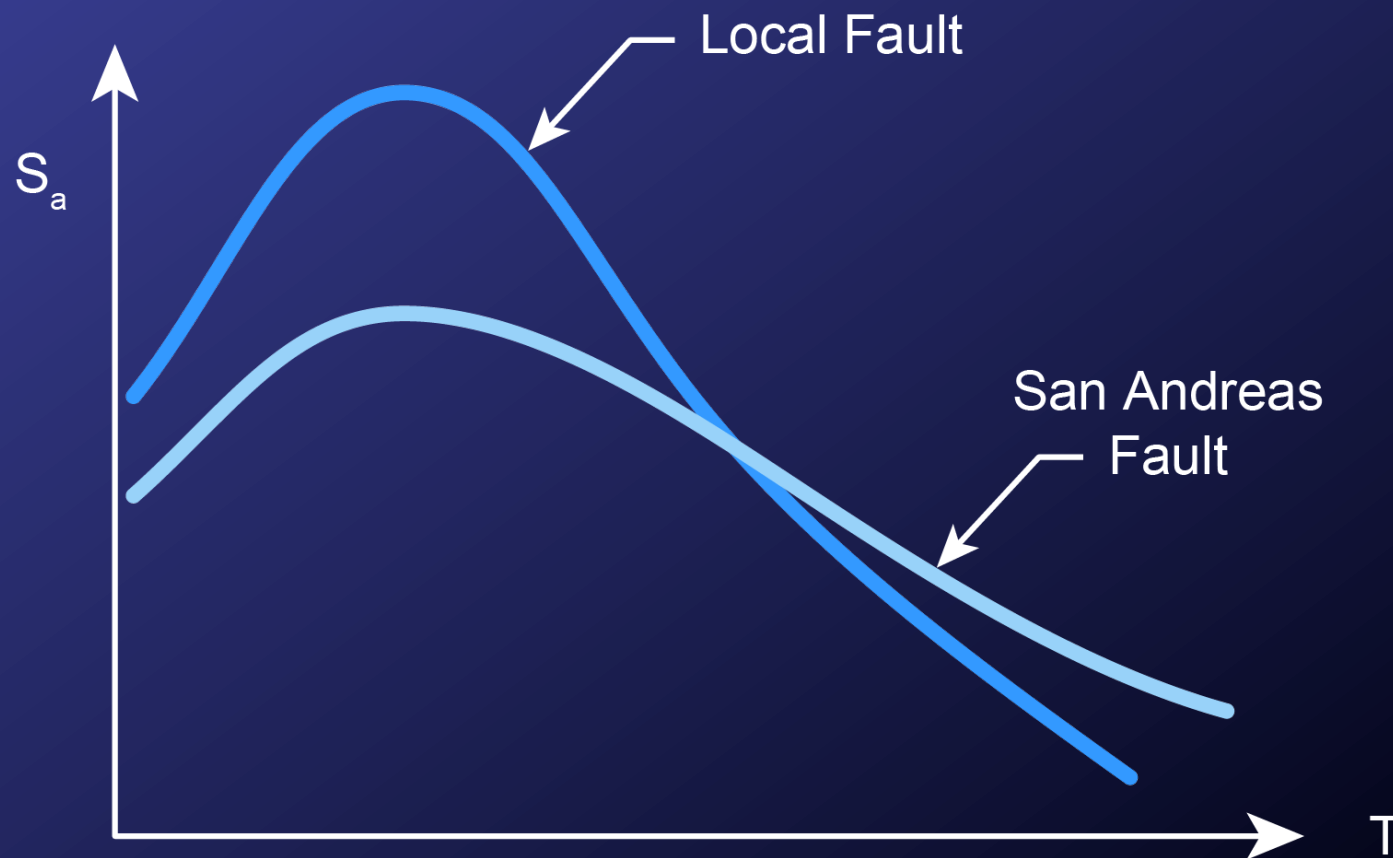


84th Percentile $S_a(T)$

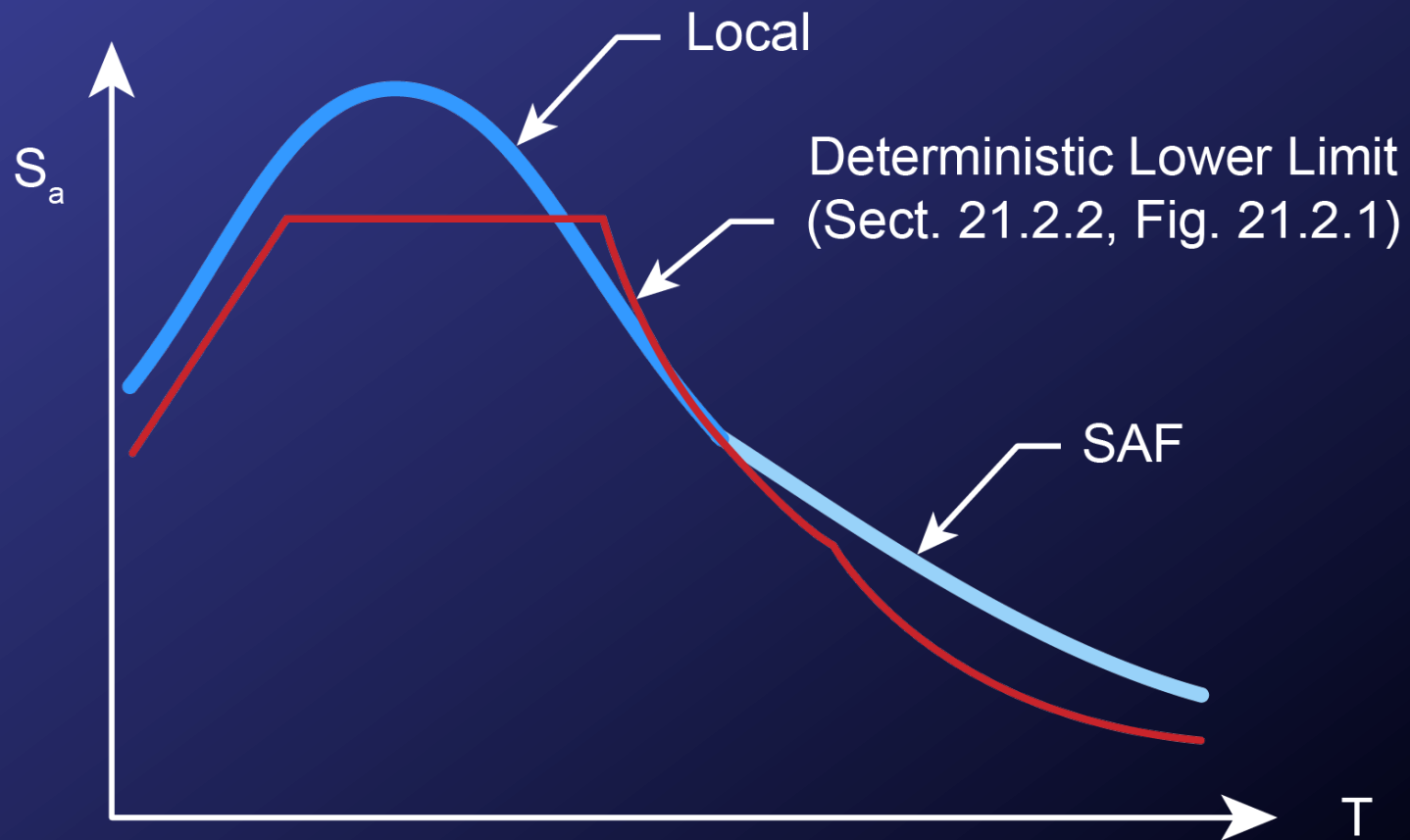


Deterministic MCE_R – 84th Percentile S_a

Use Envelop S_a



Deterministic MCE_R

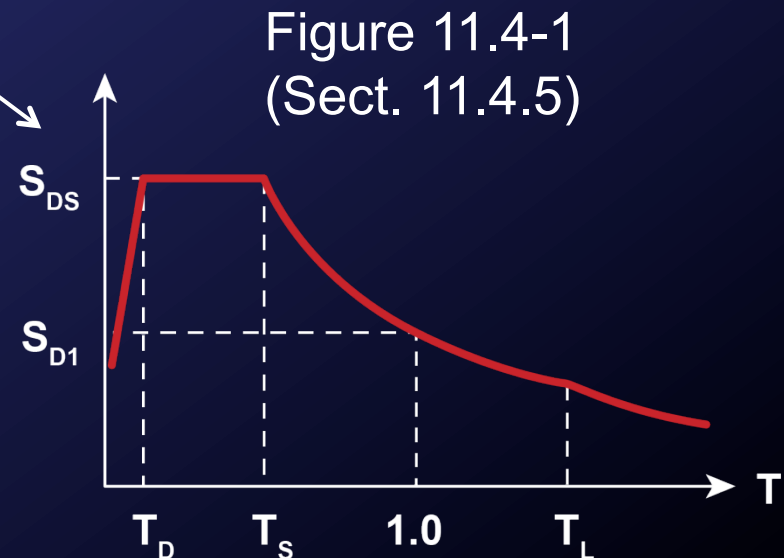


Site-Specific $MCE_R S_{aM}$

$$S_{aM} = \min[S_a^{\text{Prob}}(T), S_a^{\text{Det}}(T)]$$

Design Response Spectrum (Sect. 21.3)

$$S_a = \frac{2}{3} S_{aM} \geq 0.8 \times S_a$$



MCE Response Spectra, Site X, L.A. Pilot Study

